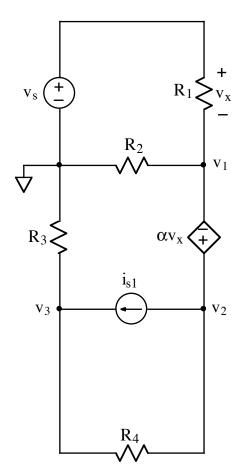
By: Neil E. Cotter

CIRCUITS NODE-VOLTAGE METHOD Dependent sources EXAMPLE 1

Ex:



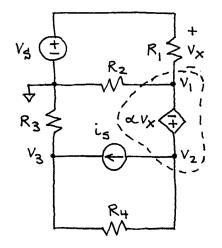
For the circuit shown, write three independent equations for the node voltages v_1 , v_2 , and v_3 . The quantity v_x must not appear in the equations.

sol'n: First, we define vx in terms of node-v's:

$$V_{\rm X} = V_{\rm S} - V_{\rm I}$$

Second, we see that v_1 and v_2 are connected by a v-src. Thus, we have a supernode for v_1 and v_2 . We draw a bubble enclosing v_1 and v_2 along with the αv_{χ} source. By: Neil E. Cotter

CIRCUITS NODE-VOLTAGE METHOD Dependent sources EXAMPLE 1 (CONT.)



We sum the currents flowing out of the bubble:

(1)
$$\frac{V_1 - V_5}{R_1} + \frac{V_1}{R_2} + \frac{V_1}{R_2} + \frac{V_2 - V_3}{R_4} = 0A$$

Third, we write a voltage eg'n for v, and vz:

(2)
$$V_1 + \kappa \left(V_5 - V_1 \right) = V_2$$

Fourth, we write a current-sum eg'n for node 13:

(3)
$$\frac{V_3}{R_3} - \dot{i}_5 + \frac{V_3 - V_2}{R_4} = 0A$$

We now have three independent eq'ns, (1), (2), and (3) that we could solve to find V_{1} , V_{2} , and V_{3} .